## MACHAKOS UNIVERSITY

## BUILDING \& CIVIL ENGINEERING DEPARTMENT

# SCHOOL OF ENGINEERING AND TECHNOLOGY <br> DEPARTMENT OF BUILDING AND CIVIL ENGINEERING <br> THIRD YEAR EXAMINATION FOR BACHELOR OF SCIENCE IN CIVIL ENGINEERING <br> ECV 206: SURVEYING II 

DATE: DECEMBER 2020
TIME: 2 HOURS

## INSTRUCTIONS

- This paper comprises of five questions. Answer three questions
- Question one is compulsory and carry's 30 marks
- Use well labeled and neat diagrams where applicable.
- Answer any other two questions


## Question 1 ( 30 Marks)

a. Briefly discuss the three type's theodolites (6 Marks)
b. Define the following terms with regards to theodolite use (6 marks)
a) Line of collimation
b) Face left condition
c) Plunging the telescope
d) Double centering
c. State at least four simple targets often used in control surveys and setting out (4 Marks)
d. What are some of the mistakes that may be encountered in theodolite angle measurements due to carelessness of the observer (5 Marks)
e. Angle of elevation measured for a tower erected over a building from a point of an instrument located on the ground was $12^{\circ}$ and $9^{\circ}$ for the top and bottom of the tower respectively. The height of the tower is 9 m . If the angle at depression of plinth level of the building from the same instrument is $4^{\circ}$, calculate the height of the building. ( 7 Marks)
f. A Civil engineering student from Machakos University noticed that the theodolite she was using had a parallax error, explain briefly how she can eliminate the parallax before measuring angles. (2 Marks)

## Question 2 (20 Marks)

An EDM slope distance $A B$ is determined to be 561.276 m . The EDM instrument is 1.820 m above station $A$, and the prism is 1.986 m above station $B$. The EDM instrument is mounted on a theodolite whose optical center is 1.720 m above the station. The theodolite was used to measure the vertical angle ( $+6^{\circ} 21^{\prime} 38^{\prime \prime}$ ) to a target on the prism pole; the target is 1.810 m above station $B$. With help of a diagram compute both the horizontal distance $A B$ and the elevation of Station B, if the elevation of station $A=186.275$

## Question 3 (20 Marks)

a. With the help of a sketch show that in polar computation given two-dimensional coordinates ( $N_{1}, E_{1}$ ) of a point $P_{1}$, and the distance $L$ and bearing $\alpha$ of another point $P_{2}$ from $\mathrm{P}_{1}$, that the coordinates ( $\mathrm{N}_{2}, \mathrm{E}_{2}$ ) of $\mathrm{P}_{2}$ are given by; (6 Marks)

$$
N_{2}=N_{1}+L \operatorname{Cos} \alpha \text { and } E_{2}=E_{1}+L \operatorname{Sin} \alpha
$$

b. Hence compute the Northing and Easting of point $\mathrm{P}_{2}$ given the coordinates of the point $P_{1}$ are $N_{1}=+907350.85$ and $E_{1}=+183416.94$ and $\alpha=112^{\circ} 31^{\prime} 00^{\prime \prime}$ ( 4 Marks)
c. Also using your sketch in a above show that for joint computation given coordinates ( $\mathrm{N}_{1}, \mathrm{E}_{1}$ ) of a point $\mathrm{P}_{1}$ and coordinates ( $\mathrm{N}_{2}, \mathrm{E}_{2}$ ) of $\mathrm{P}_{2}$ the distance and bearing of $\mathrm{P}_{2}$ from $\mathrm{P}_{1}$ is given by. (4 Marks)

$$
\text { Tan }=\Delta E / \Delta N \text { and } L=\Delta N / \operatorname{Cos} \alpha=\Delta E / \operatorname{Sin} \alpha
$$

d. And hence compute the bearing and distance of a point $P_{2}$ from $P_{1}$ given that their Northings and Eastings are as follows (6 Marks)

| Point | Northings | Eastings |
| :--- | :--- | :--- |
| $\mathrm{P}_{1}$ | +26759.89 | +686084.12 |
| $\mathrm{P}_{2}$ | +27103.97 | +686406.51 |

## Question 4 (20 Marks)

With the help of a sketch determine the gradient from a point $A$ to $B$ from the following observations made with a fixed hair tachometer fitted with an anallactic lense the constant of the instrument being 100.

| Reading | Bearing | Reading on stadia hair <br> $(\mathbf{m})$ |  | Reading on axial <br> hair $(\mathbf{m})$ | Vertical angle |
| :---: | :---: | :---: | :---: | :---: | :---: |
| To A | $345^{\circ}$ | 0.75 | 2.12 | 1.435 | $+15^{\circ}$ |
| To B | $75^{\circ}$ | 0.625 | 3.05 | 1.835 | $-10^{\circ}$ |

## Question 5 (20 Marks)

A civil engineer wanted to determine the elevation of top $Q$ of a signal on a hill observations were made from two points $P$ and $R$. All the three points are in the same vertical plane. The distance between $P$ and $R$ is 120 m height of the signal is 4 m . With the help of a sketch find out R.I of the foot of the signal.

| Angle of Elevation to $\mathbf{Q}$ | From $\mathrm{P}=\mathbf{2 5}^{\circ} \mathbf{3} 5^{\prime}$ |
| :--- | :--- |
|  | From $\mathrm{R}=15^{\circ} 5^{\prime}$ |
|  | From $\mathrm{P}=2.755 \mathrm{~m}$ |
|  | From $\mathrm{R}=\mathbf{3 . 8 5 5} \mathrm{m}$ |
| R.L of $\mathrm{BM}=105.42 \mathrm{~m}$ |  |

