



MACHAKOS UNIVERSITY

University Examinations for 2016/2017

SCHOOL OF ENGINEERING AND TECHNOLOGY

DEPARTMENT OF ELECTRICAL AND ELECTRONICS ENGINEERING

THIRD YEAR SECOND SEMESTER EXAMINATION FOR DEGREE IN
BACHELOR OF SCIENCE IN ELECTRICAL AND ELECTRONICS ENGINEERING

EEE 311: CONTROL II

DATE: 13/6/2017

TIME: 2 HRS

INSTRUCTIONS

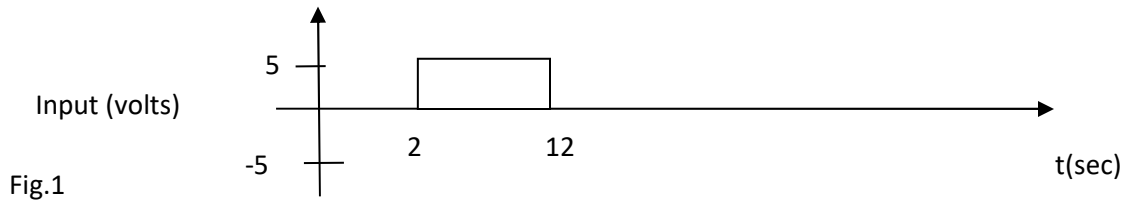
Answer Question One and Any Other Two Questions

QUESTION ONE (COMPULSORY) (30 MARKS)

- a) Briefly discuss why control systems are compensated. (3 marks)
- b) Mention any THREE comparisons between phase lead and phase lag compensator. (3 marks)
- c) Design a phase lead compensating network to achieve a phase margin of 40° for a system whose transfer function is given by: (9 marks)

$$G(s) = \frac{10}{s(1 + 0.5s)(1 + 0.01s)}$$

- d) Explain why derivative controller is never used alone. (2 marks)
- e) The waveform in fig.1 shows an input signal. Assuming zero initial conditions, sketch the output waveforms when the given signal is applied to:
 - i. Proportional controller
 - ii. Integral controller
 - iii. Derivative controller
 - iv. Proportional plus integral controller (8 marks)



- f) Construct the state model for a system characterized by the differential equation below and give the block diagram representation. (5 marks)

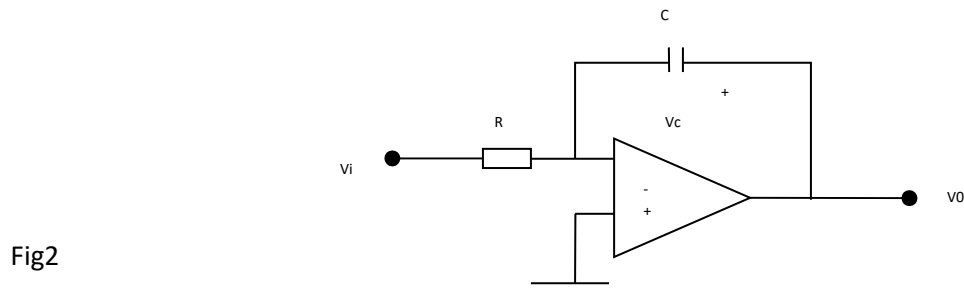
$$5u = \frac{d^4 y}{dt^4} + 10 \frac{d^3 y}{dt^3} + 15 \frac{d^2 y}{dt^2} + 20 \frac{dy}{dt} + 30y$$

QUESTION TWO (20 MARKS)

- a) Design a phase lag compensating network to achieve a phase margin of 35° for a system whose transfer function is given by: (9 marks)

$$G(s) = \frac{17.783}{s(1 + 0.5s)(1 + 0.05s)}$$

- b) Sketch a block diagram representation of the state model. (3 marks)
 c) The circuit in fig.2 is an integrator. $V_C = 0$ at $t = 0$. A step input of $V_i = -2$ is applied at $t = 0$. Determine the time constant such that the output reaches +20 volts at $t = 2\text{ms}$. (8 marks)

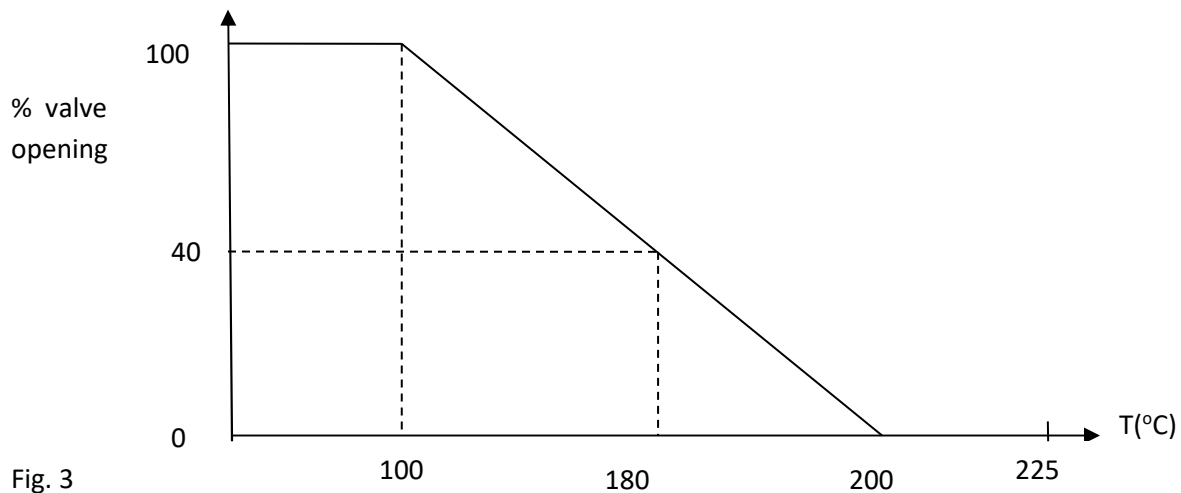


QUESTION THREE (20 MARKS)

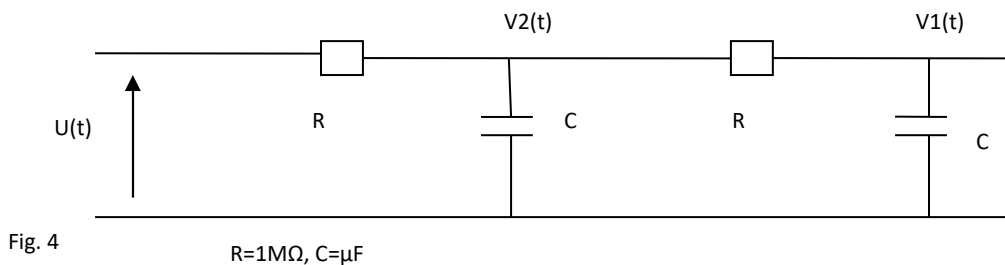
- a) For a lead lag compensator network:
- Sketch a well labeled diagram.
 - Derive expression of the transfer function.
 - Sketch its Bode plot.
 - From the Bode plot discuss how it is used to compensate a system. (9 marks)
- b) With aid of a diagram derive the expression of the output of a proportional plus integral controller. (5 marks)
- c) When using canonical state model, diagonalization of matrix is necessary. This is facilitated by use of eigenvectors. Let $A = \begin{pmatrix} 10 & -8 \\ 4 & -2 \end{pmatrix}$. Find all eigenvalues of A. (6 marks)

QUESTION FOUR (20 MARKS)

- With aid of diagrams differentiate between cascaded and feedback compensated systems. (5 marks)
- Discuss advantage of operational amplifier based compensating networks. (2 marks)
- The diagram in fig.3 shows the relationship between solutions's controlled temperature and percentage gas valve opening. Given proportional controller has controller range between 40°C and 240°C . Determine the percentage proportional band. (4 marks)



- For the system shown in fig. 4, choose $v_1(t)$ and $v_2(t)$ as the state variables. Determine the state equations in the vector matrix form. (9 marks)



QUESTION FIVE (20 MARKS)

- a) The bode plot in fig.5 is for a phase lead network. Given that ω_M is geometrical mean of the two corner frequencies derive its expression. (5 marks)

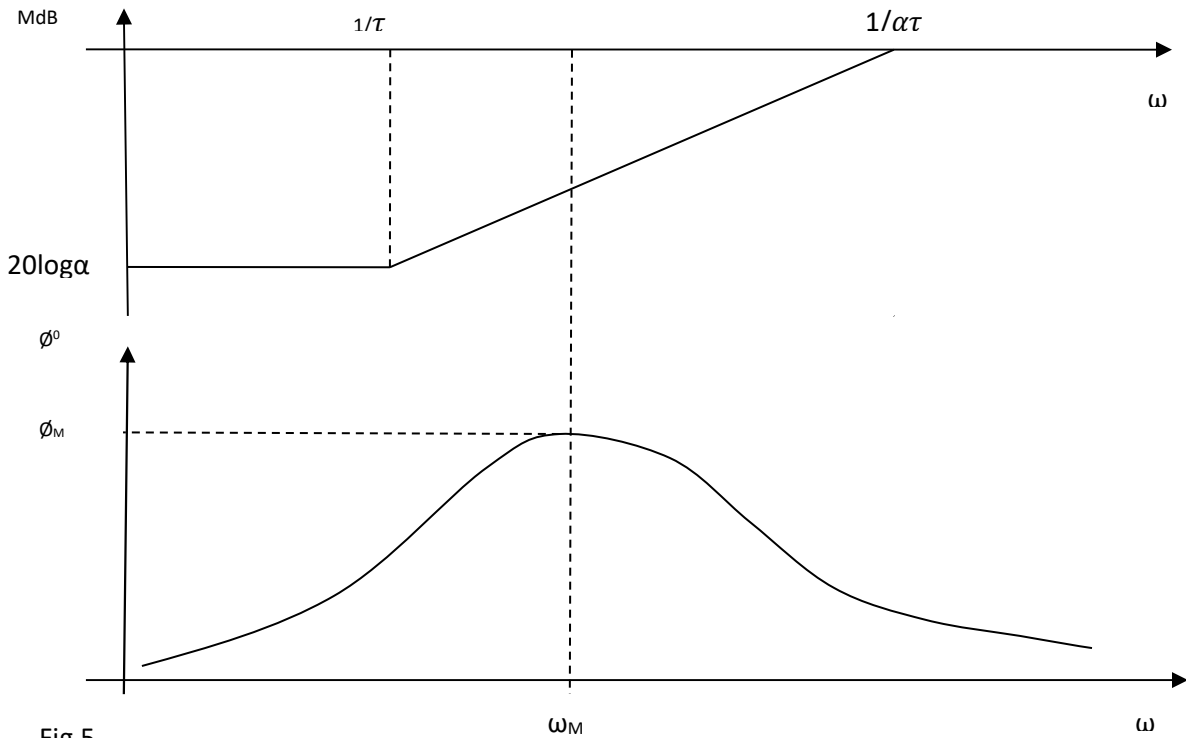


Fig.5

- b) Briefly explain what is meant by 'the state of a dynamic system'. (2 marks)
- c) The state of the system in fig.6 at any time, t , is given by variables $x(t)$ and $v(t)$ which are state variables of the system. Derive expression of displacement $x(t)$ at any time $t \geq 0$. Initial velocity is $v(t_0)$ and initial displacement is $x(t_0)$. $F(t)$ is the input variable from $t=t_0$. (10 marks)

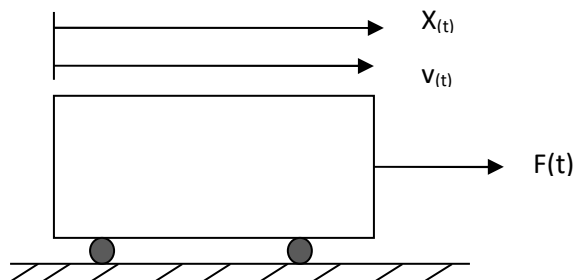


Fig. 6

- d) With aid of expressions explain the difference between time invariant and time varying systems. (3 marks)